



Recent Enhancements to the GISSMO Failure Model in LS-DYNA

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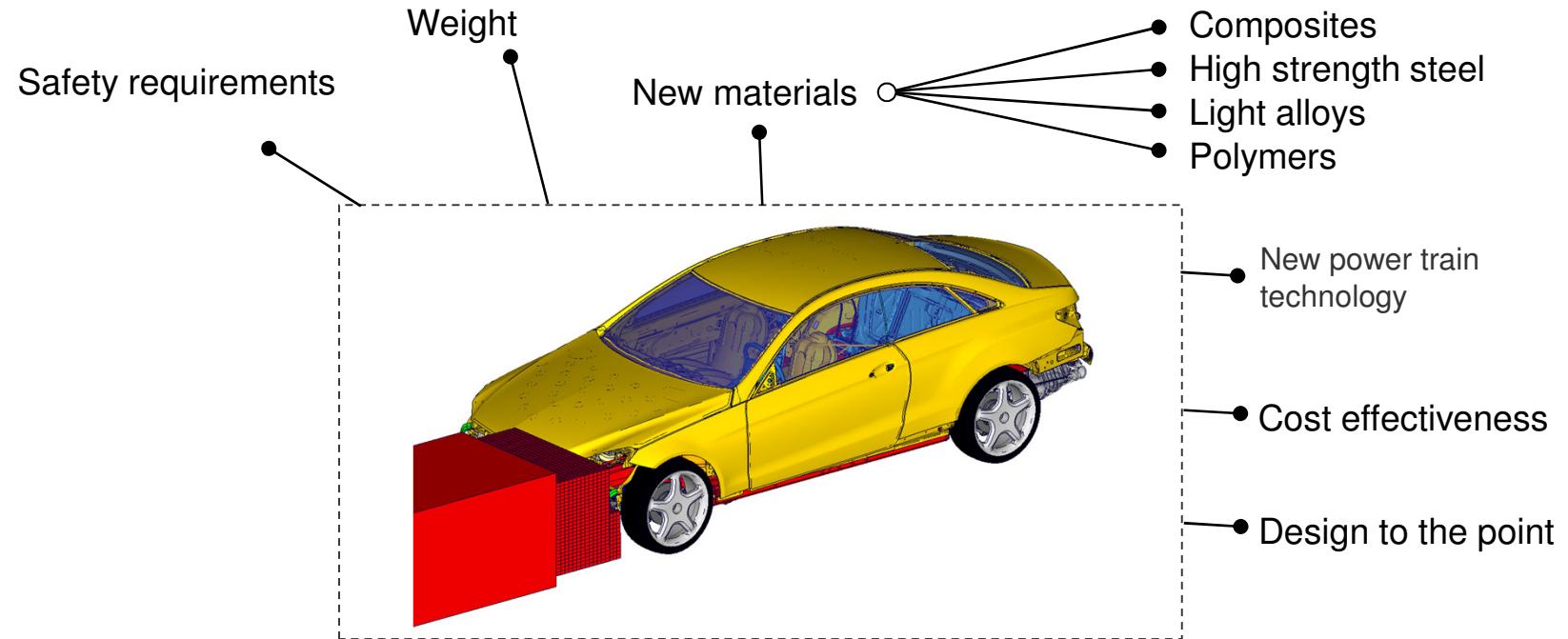
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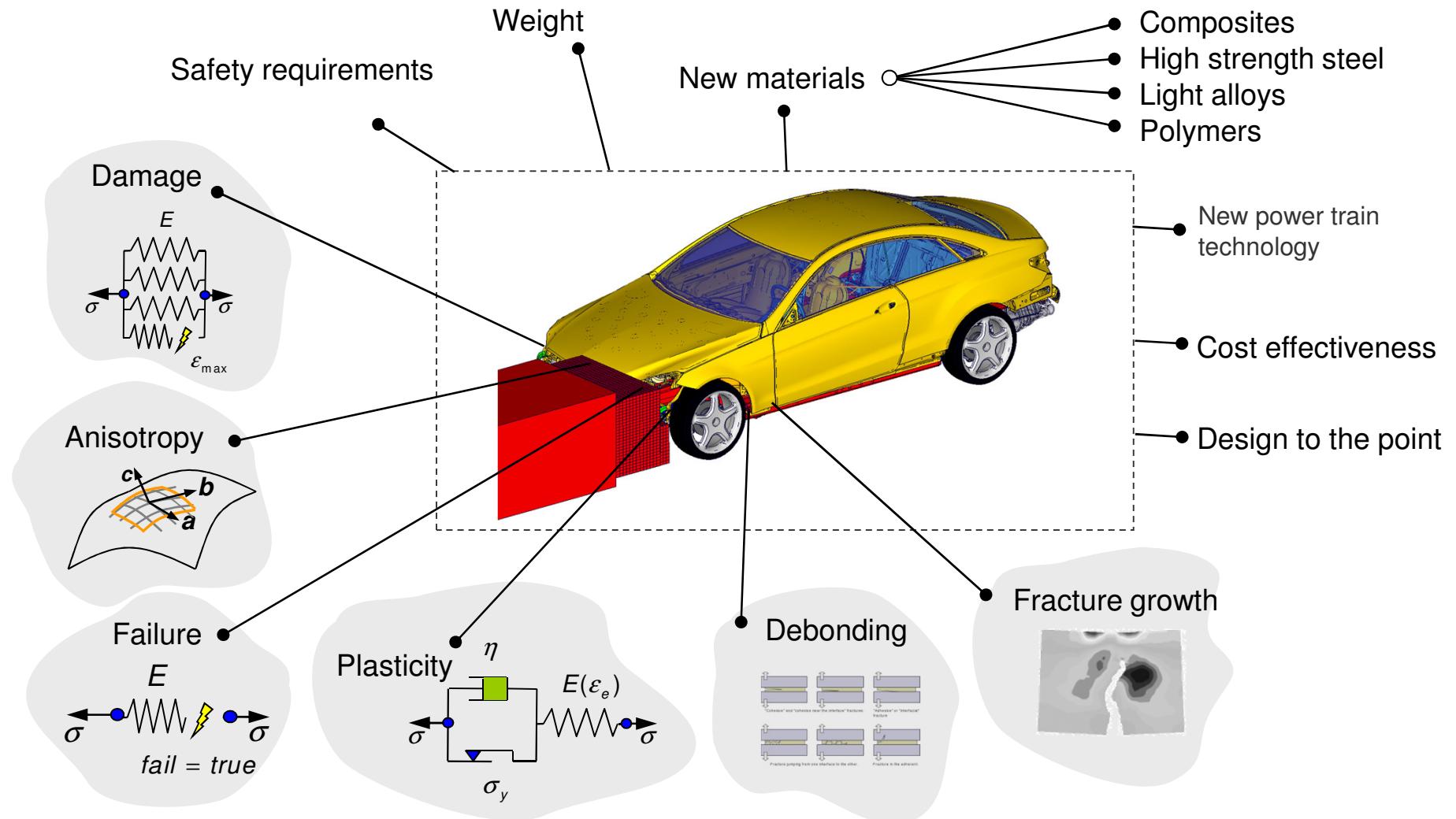
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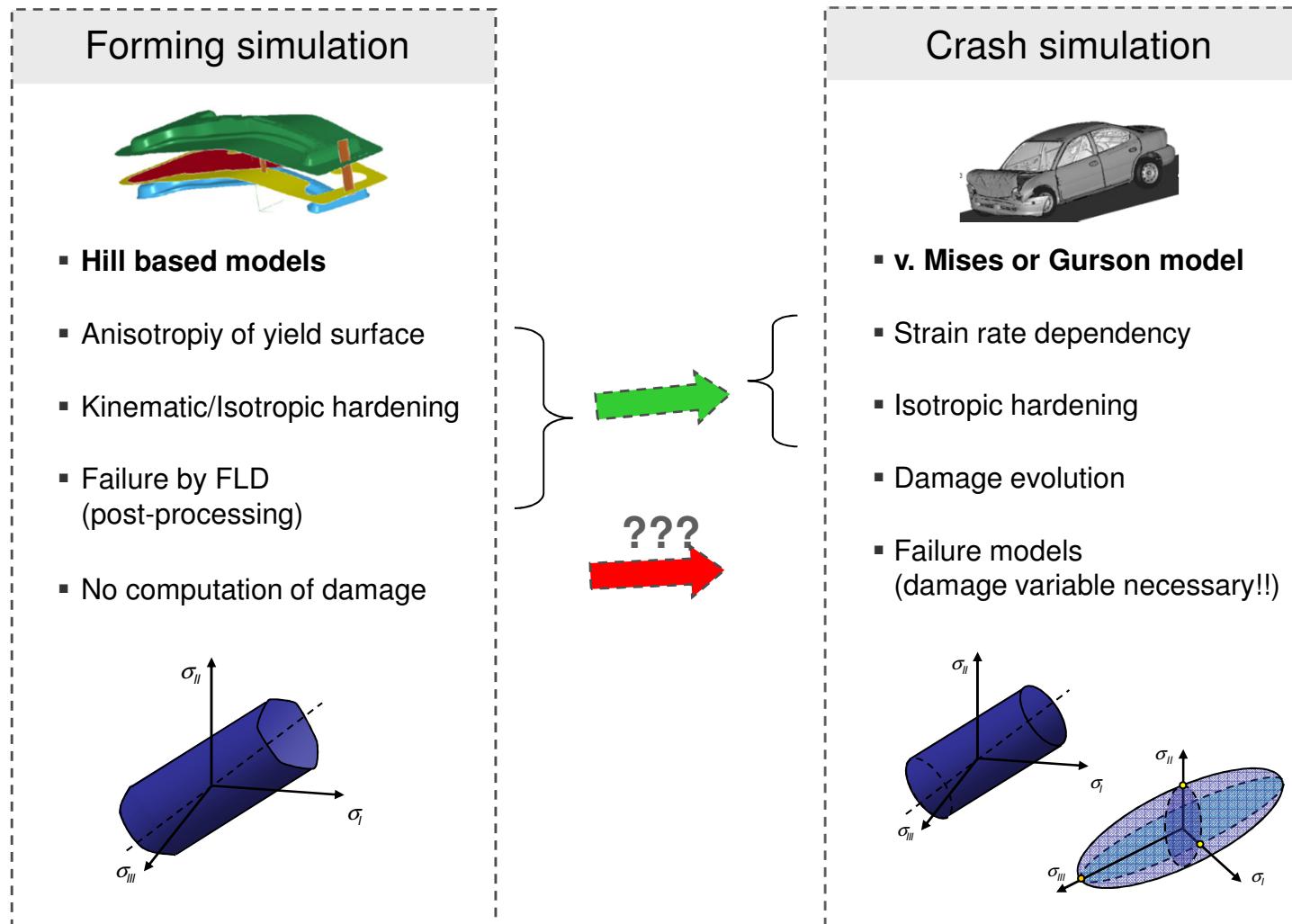
Technological challenges in the automotive industry



Technological challenges in the automotive industry



Closing the process chain



Different ways to realize a consistent modeling

One Material Model for Forming and Crash Simulation

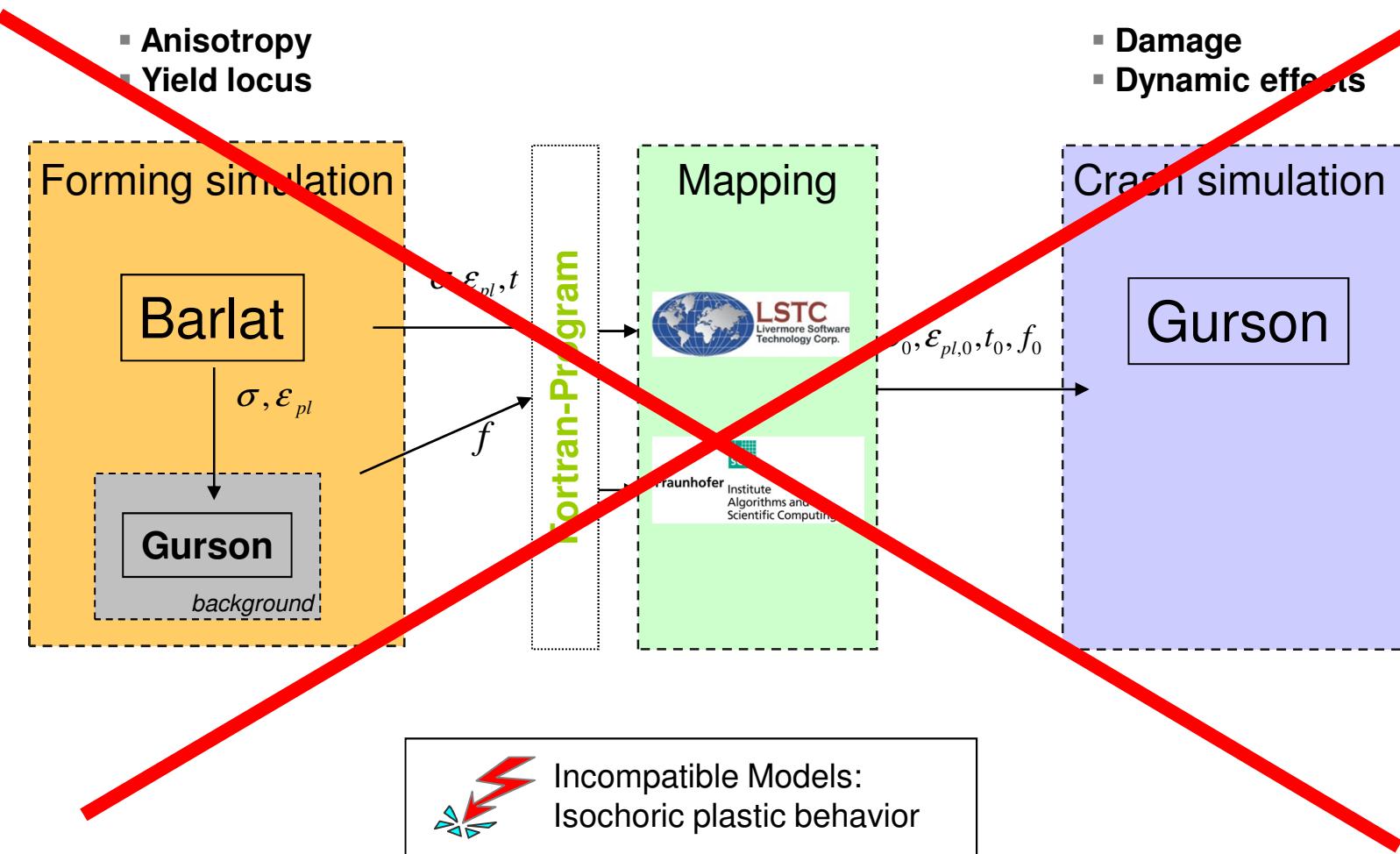
- Requirements for Forming Simulations: Anisotropy, Exact Description of Yield Locus, Kinematic Hardening, etc.
- Requirements for Crash Simulation: Dynamic Material Behavior, Failure Prediction, Energy Absorption, Robust Formulation
- Leads to very complex model

Modular Concept for the Description of Plasticity and Failure

- Plasticity and Failure Model are treated separately
- Existing Material Models are kept unaltered
- Consistent modeling through the use of one damage model for forming and crash simulation

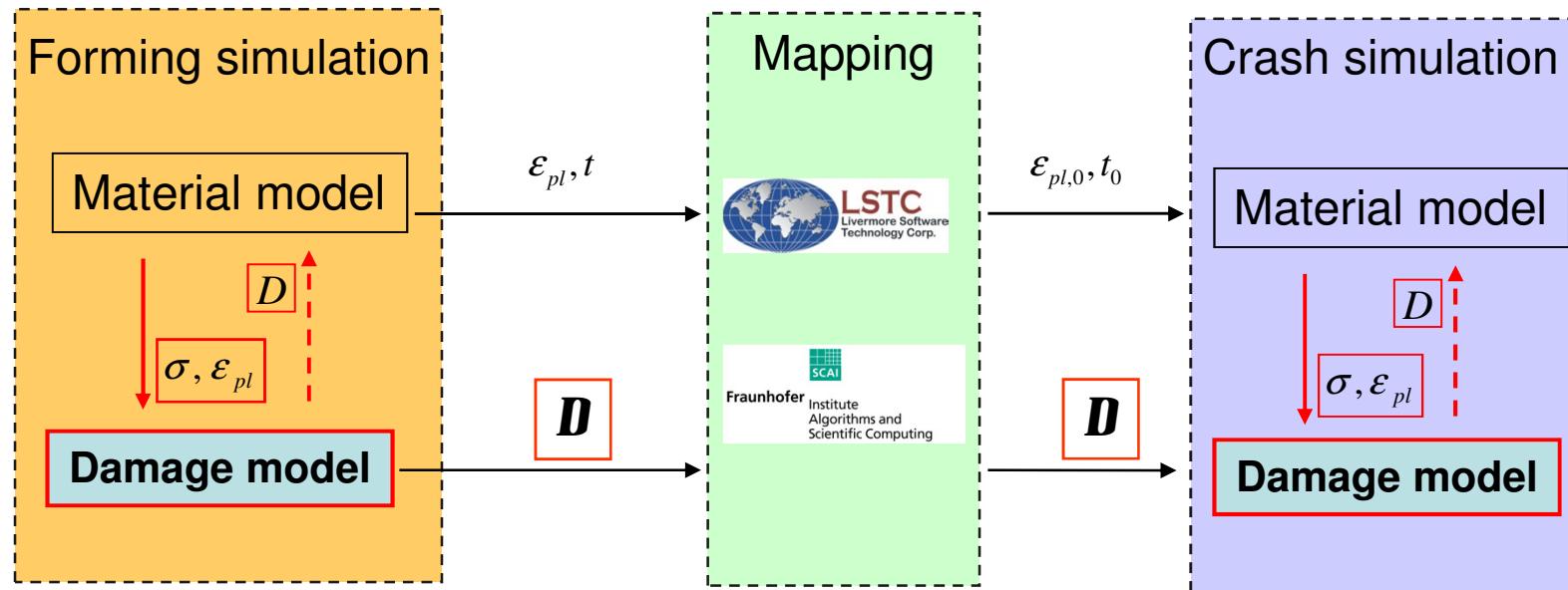
***MAT_ADD....(damage)**

Produceability to Serviceability



Schmeing, Haufe & Feucht [2007]
Neukamm, Feucht & Haufe [2007]

Produceability to Serviceability: Modular Concept

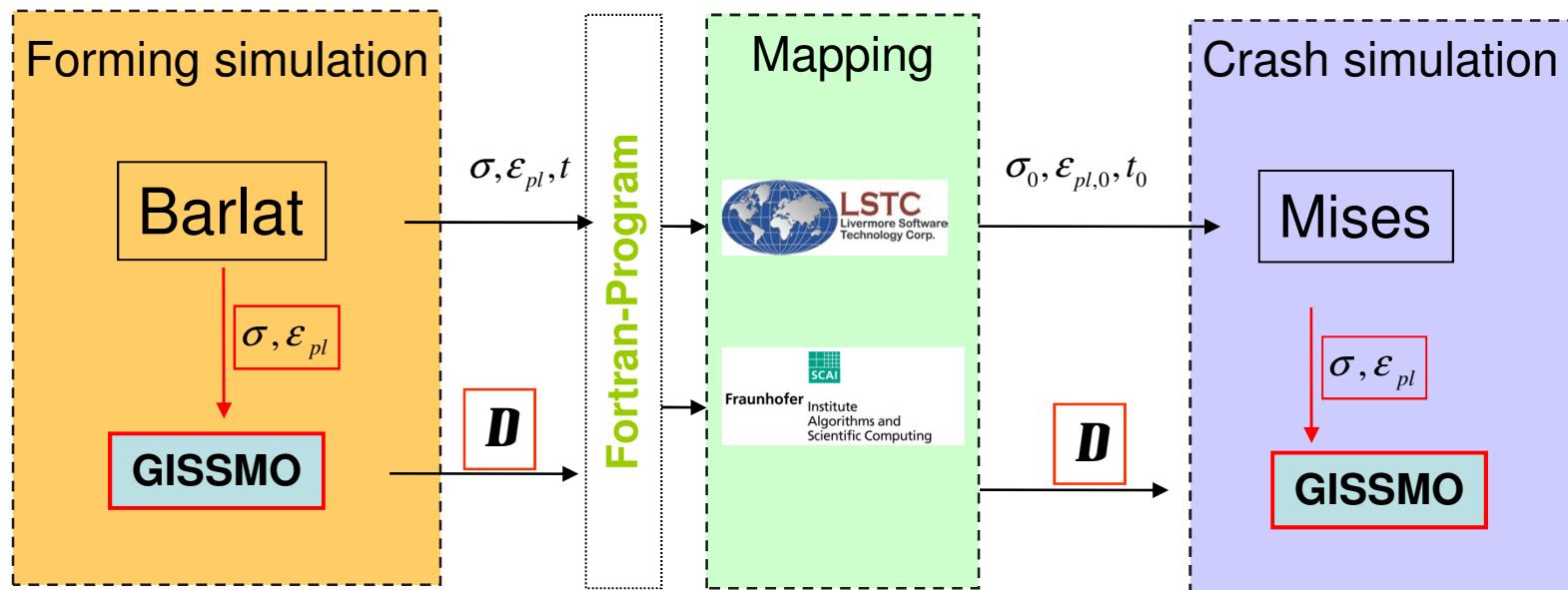


Modular Concept:

- Proven material models for both disciplines are retained
- Use of one continuous damage model for both

Produceability to Serviceability: Modular Concept

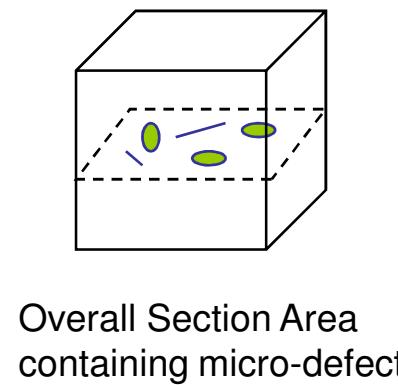
Current status in 971R5



Ebelsheiser, Feucht & Neukamm [2008]
Neukamm, Feucht, DuBois & Haufe [2008-2010]

GISSMO – a short description

Effective stress concept (similar to MAT_81/224 etc.)



Overall Section Area
containing micro-defects

$$S$$

Reduced ("effective")
Section Area

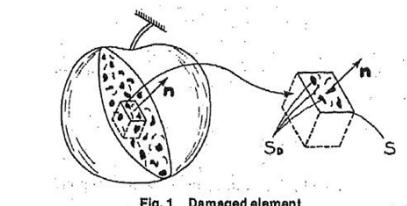
$$\hat{S} < S$$

Measure of
Damage

$$D = \frac{S - \hat{S}}{S}$$

Reduction of effective cross-section leads to
reduction of tangential stiffness
→ Phenomenological description

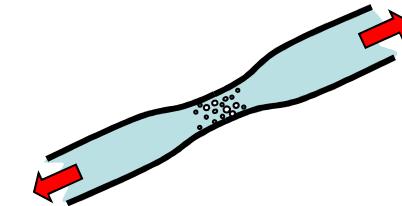
$$\sigma^* = \sigma (1 - D)$$



J. Lemaitre, A Continuous Damage Mechanics Model for Ductile Fracture

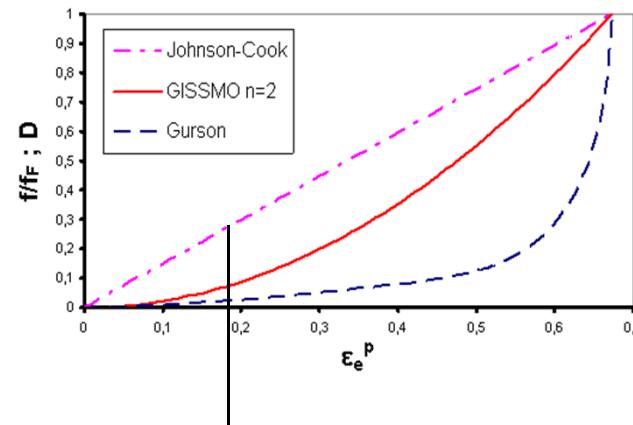
GISSMO - a short description

Ductile damage and failure



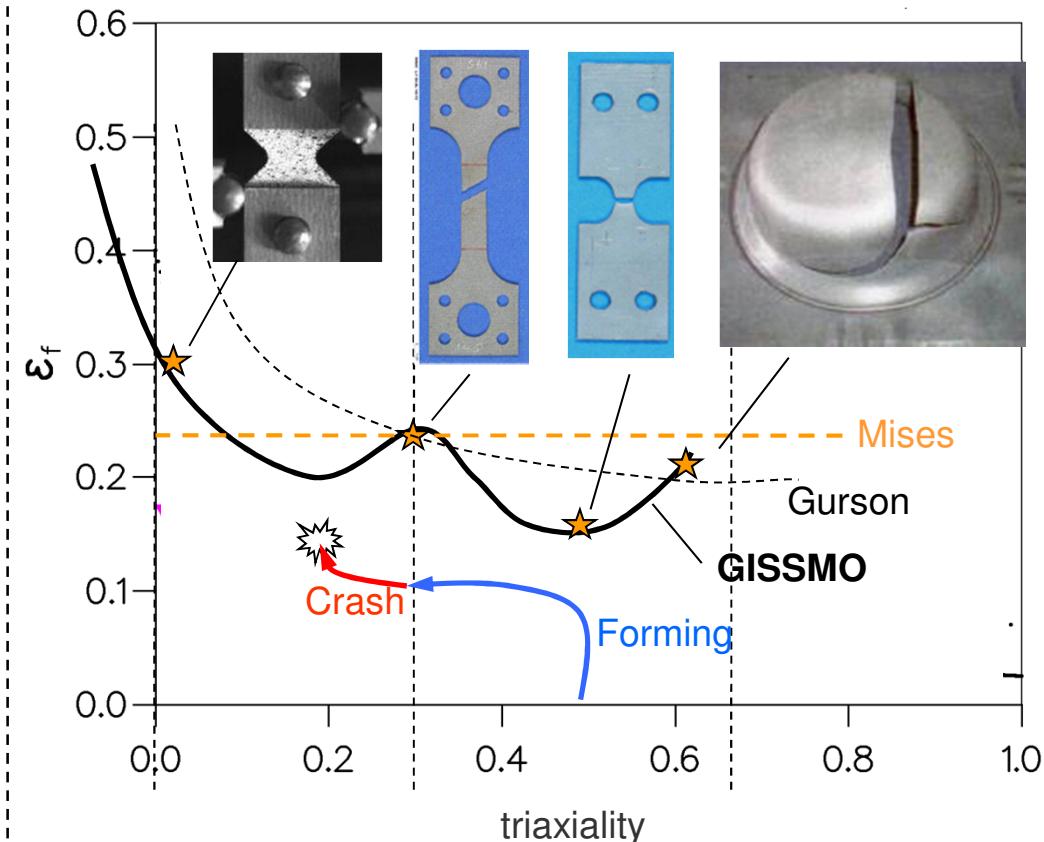
Damage Evolution

$$\dot{D}_f = \frac{n}{\varepsilon_f} D_f^{(1-\frac{1}{n})} \dot{\varepsilon}_p$$



Damage overestimated
for linear damage
accumulation

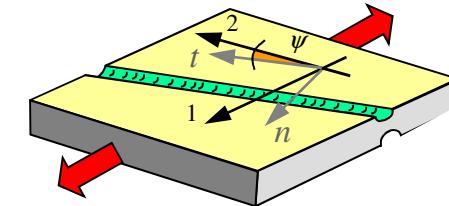
Failure Curve



Neukamm, Feucht, DuBois & Haufe [2008-2010]

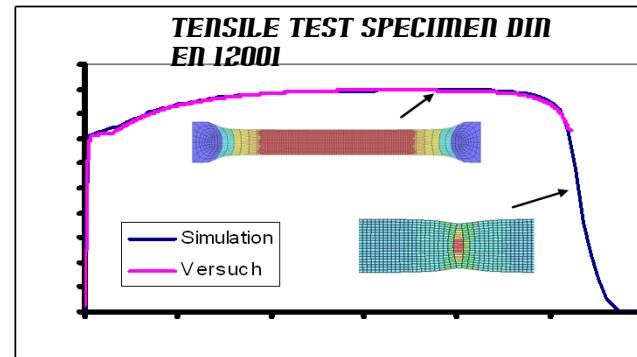
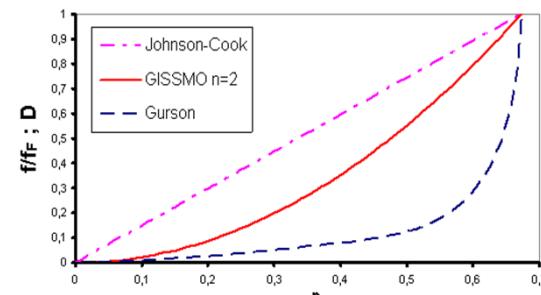
GISSMO – a short description

Engineering approach for instability failure

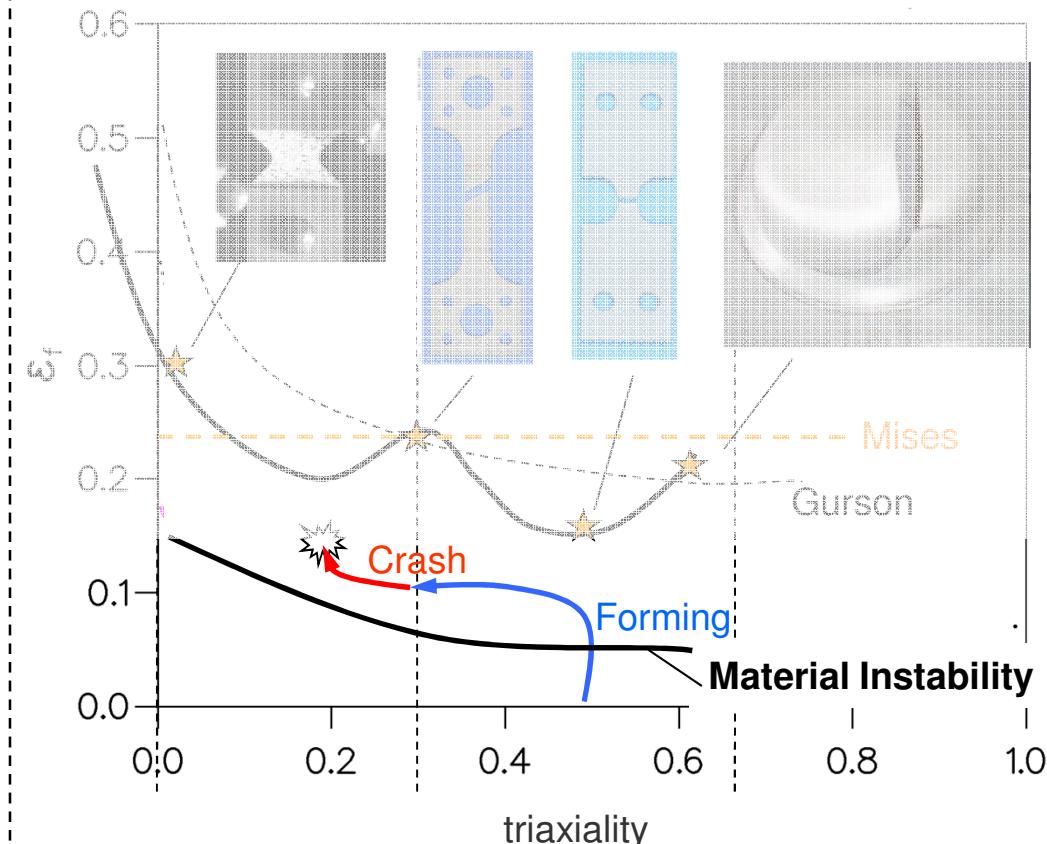


Evolution of Instability

$$\Delta F = \frac{n}{\epsilon_{v,loc}} F^{(1-1/n)} \Delta \epsilon_v$$



Material Instability

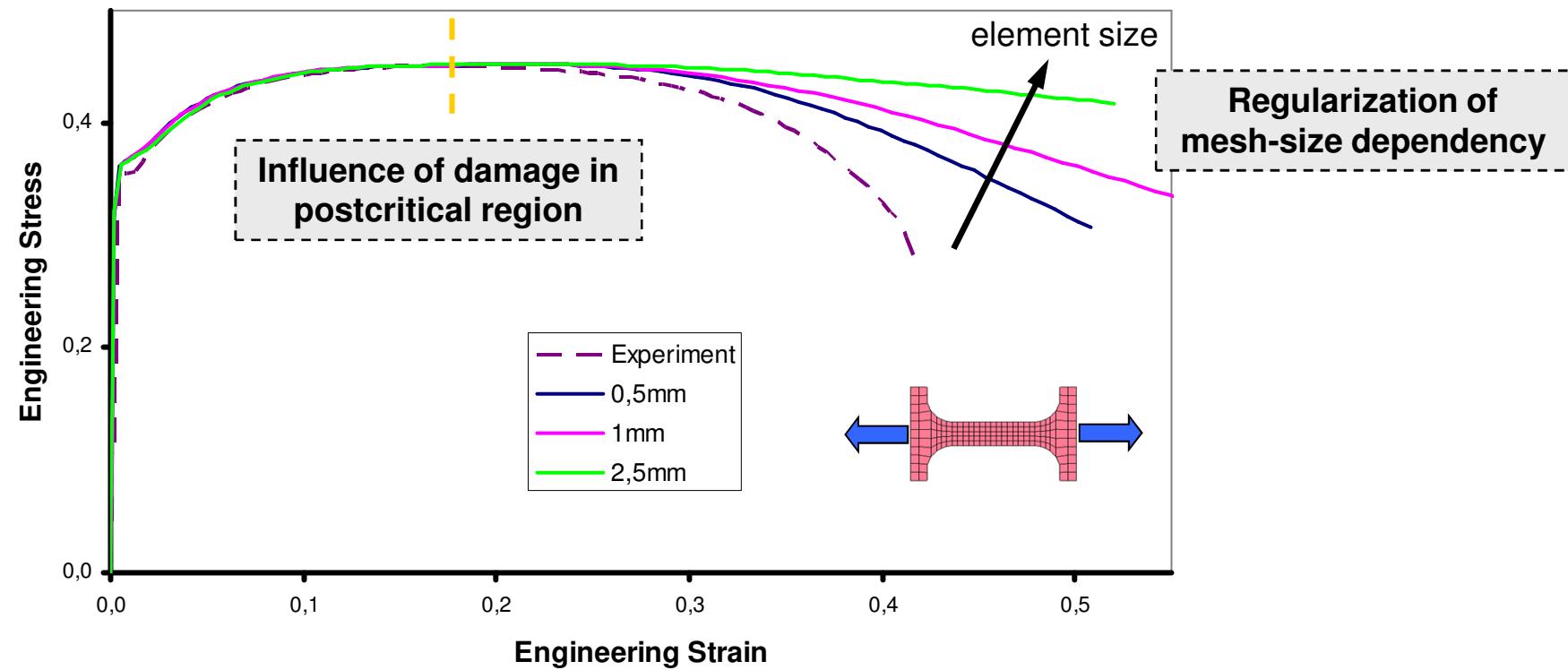


Neukamm, Feucht, DuBois & Haufe [2008-2010]

GISSMO – a short description

Inherent mesh-size dependency of results in the post-critical region

Simulations of tensile test specimen with different mesh sizes

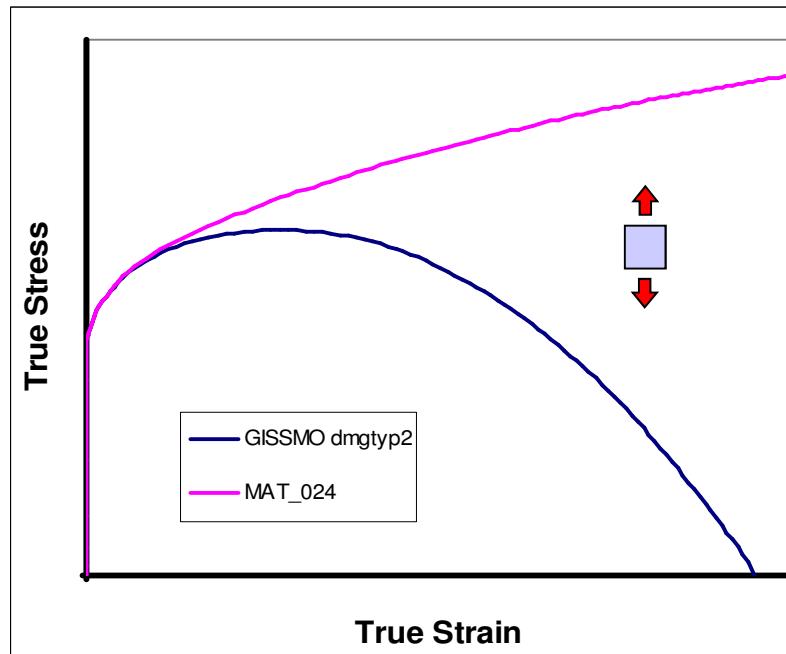


GISSMO – a short description

Generalized Incremental Stress State dependent damage MOdel

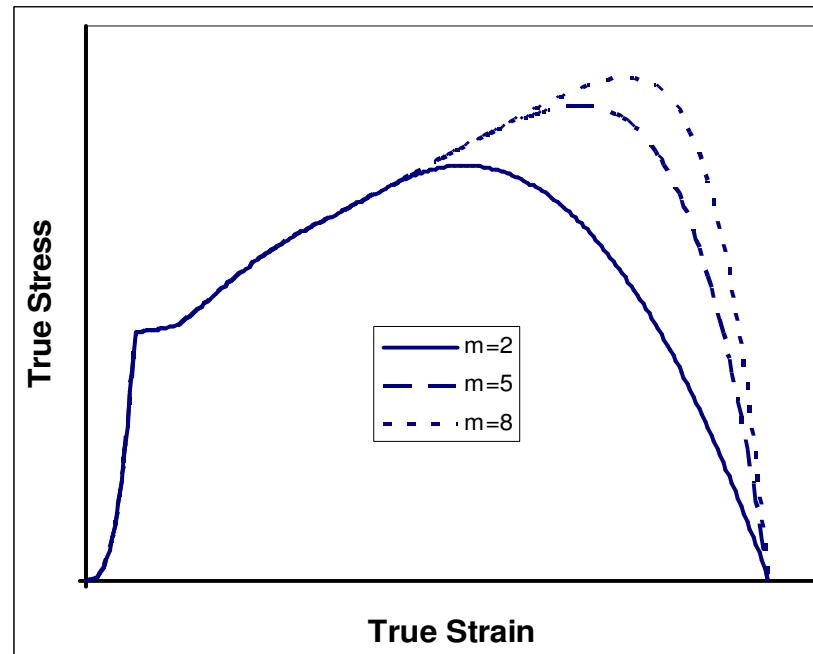
DMGTYP: Flag for coupling (Lemaitre)

$$\sigma^* = \sigma (1 - D)$$



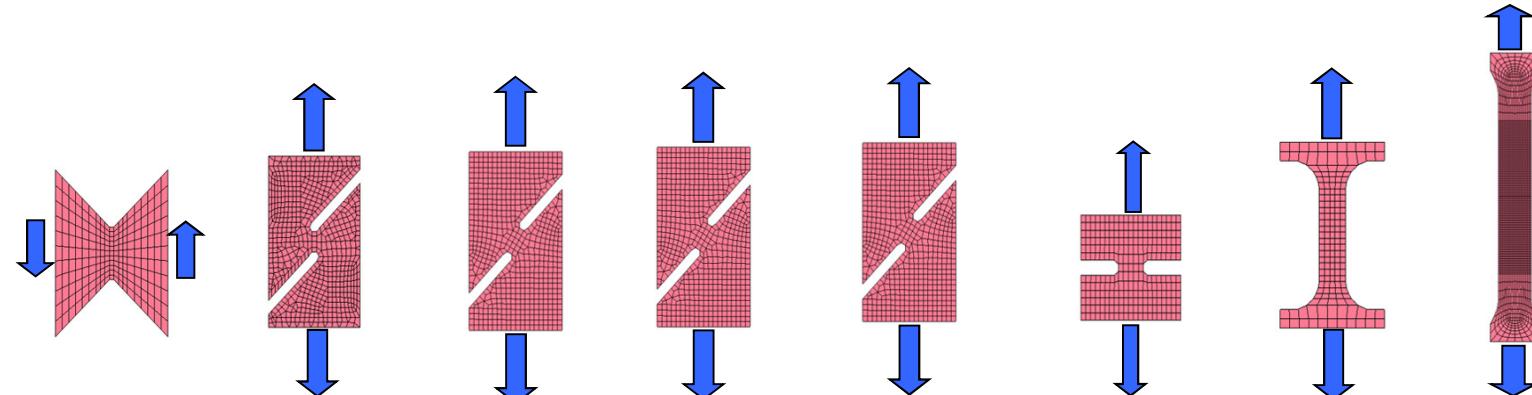
DCRIT, FADEXP: Post-critical behavior

$$\sigma^* = \sigma \left(1 - \left(\frac{D - D_{CRIT}}{1 - D_{CRIT}} \right)^{FADEXP} \right)$$



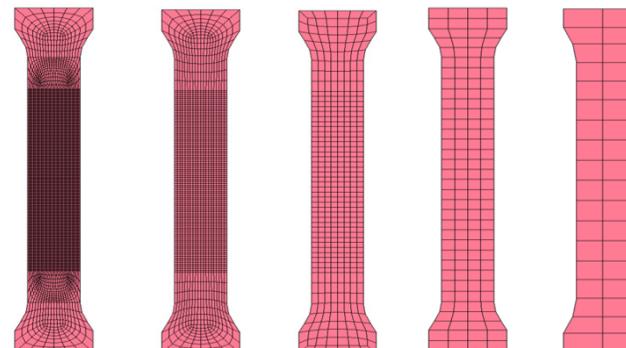
GISSMO

Identification of damage parameters: Range of experiments and simulations



| Probentyp | | | | | | | | |
|--------------|-------|-------------|--------------|--------------|--------------|------------|---------------|--------------|
| Netzfeinheit | Arcan | Scherzug 0° | Scherzug 15° | Scherzug 30° | Scherzug 45° | Kerbzug R1 | Mini-Flachzug | DIN-Flachzug |
| 0,5mm | | | | | | | | |
| 1mm | | | | | | | | |
| 2,5mm | | | | | | | | |
| 5mm | | | | | | | | |
| 10mm | | | | | | | | |

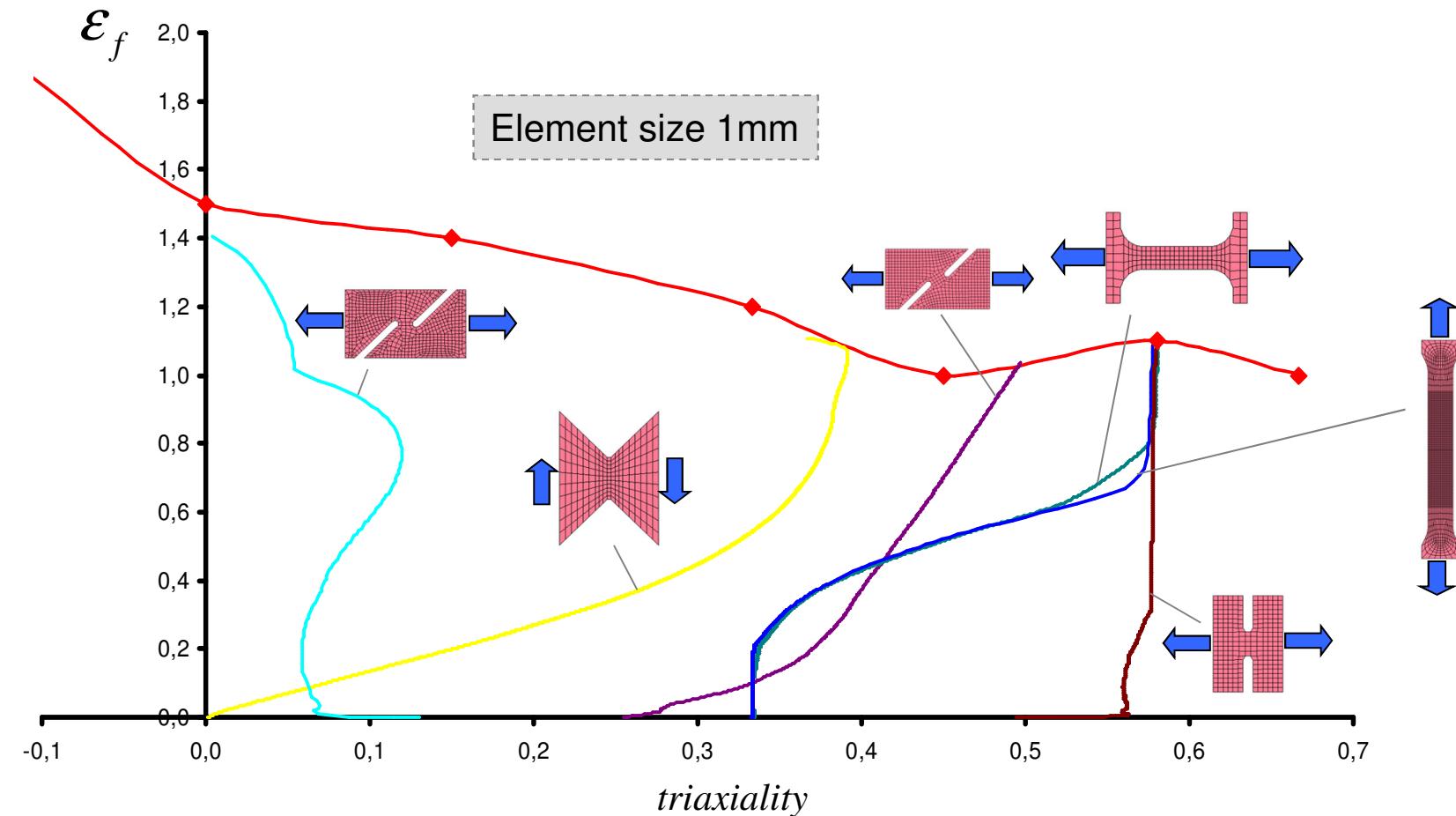
To be considered:
8 Specimen geometries
5 Discretisations



Institut
Werkstoffmechanik

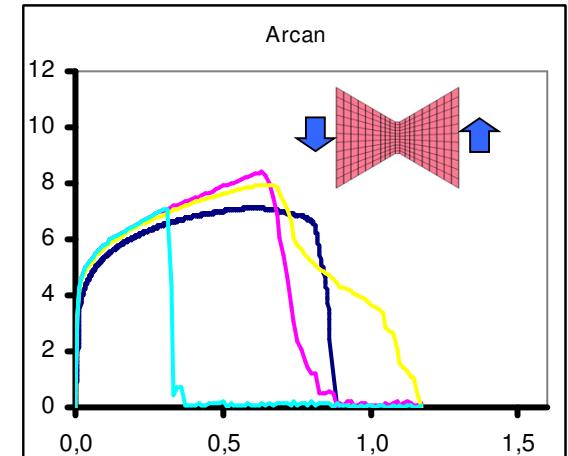
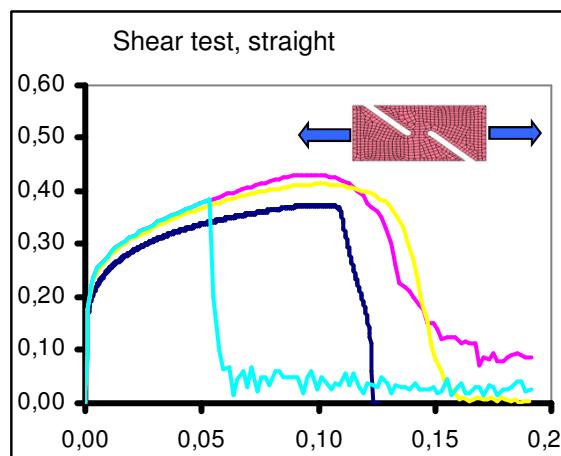
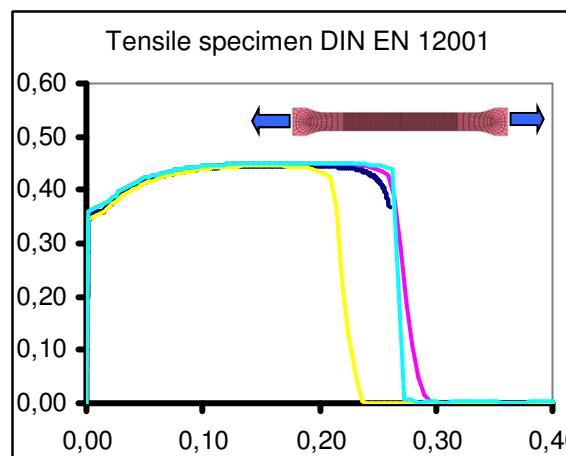
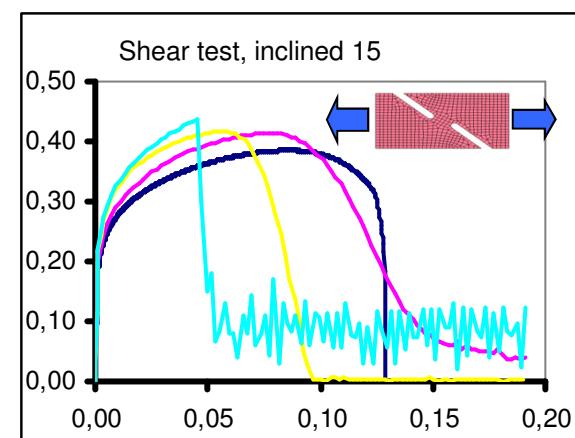
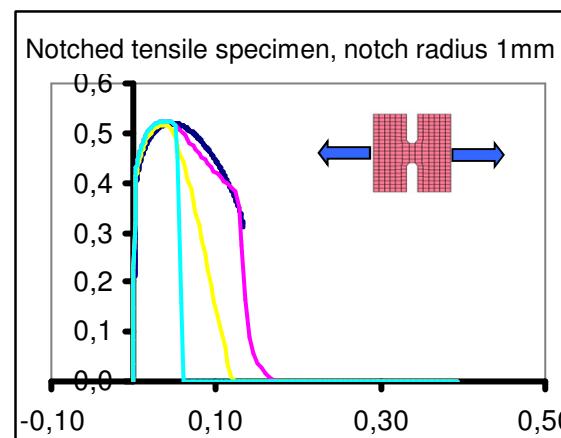
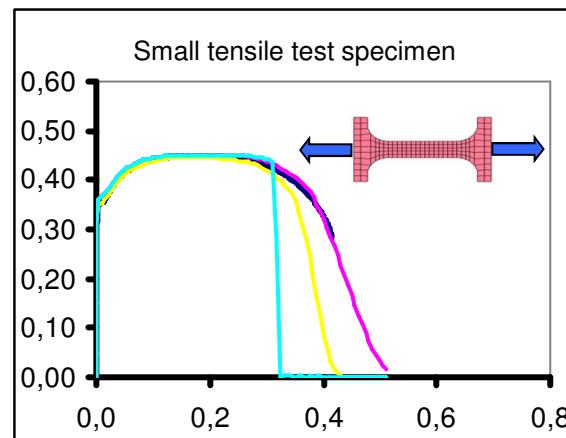
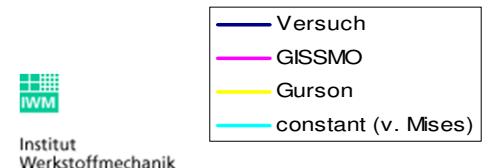
GISSMO

Equivalent plastic strain vs. triaxiality



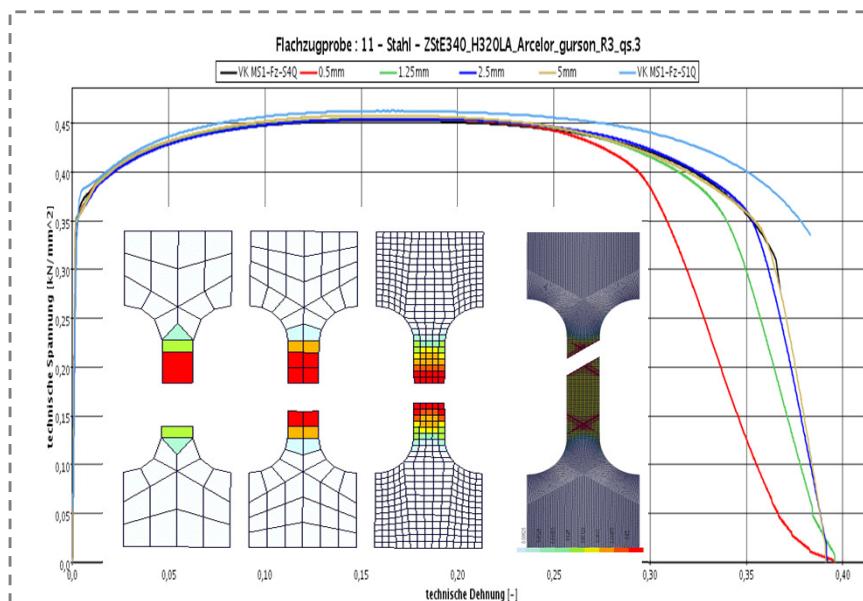
GISSMO vs. Gurson vs. 24/81

Comparison of experiments and simulations



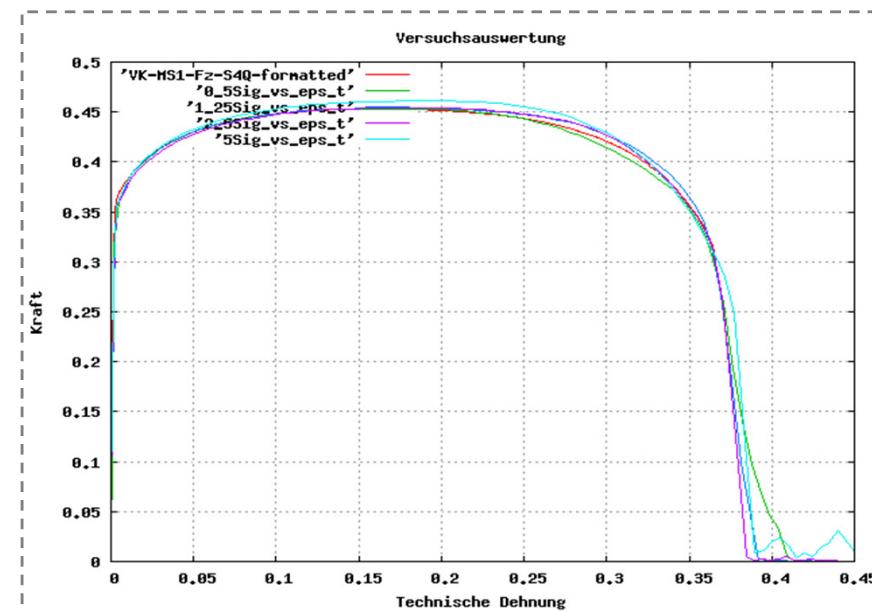
Gurson vs. GISSMO – “regularized”

Regularization of element size dependency



Gurson

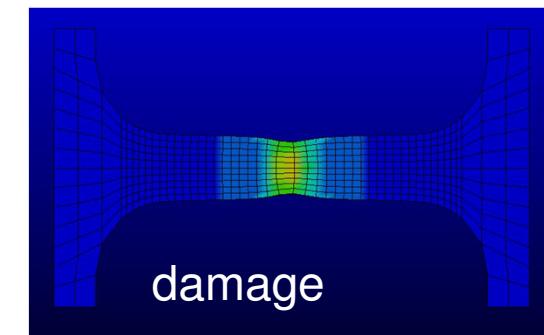
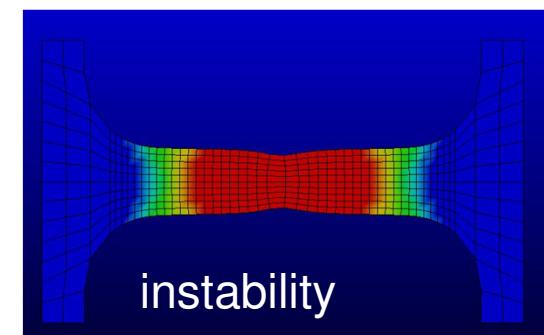
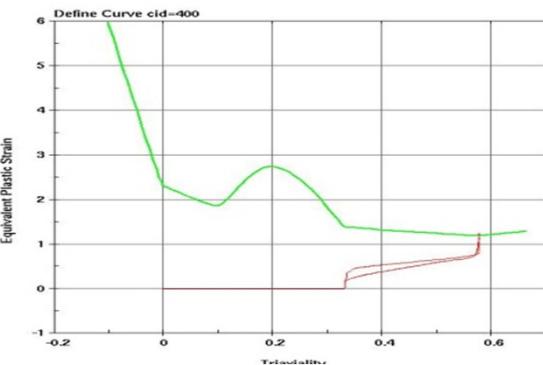
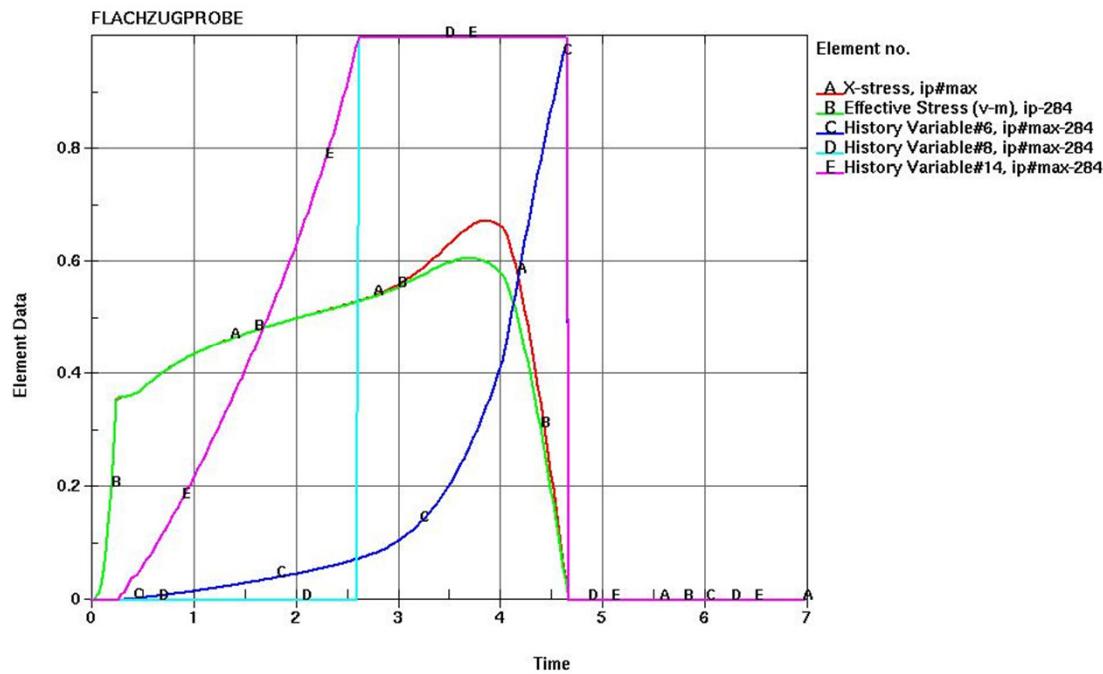
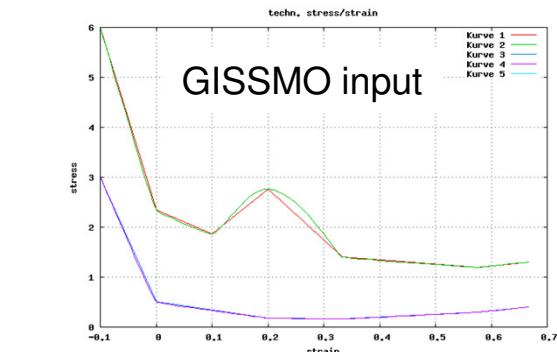
- Resultant Failure Strain constant
- Failure energy depending on el. size
- Identification of damage parameters is difficult



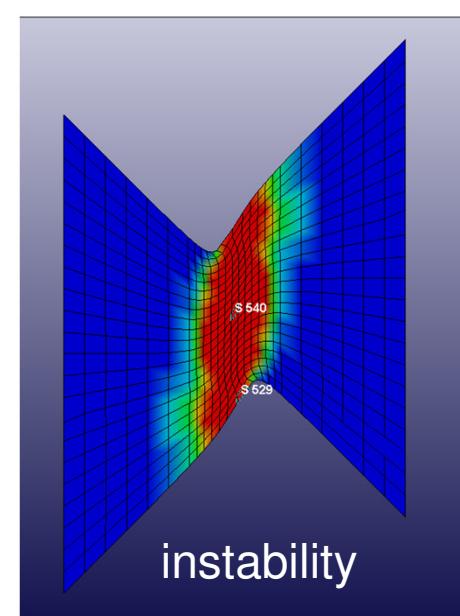
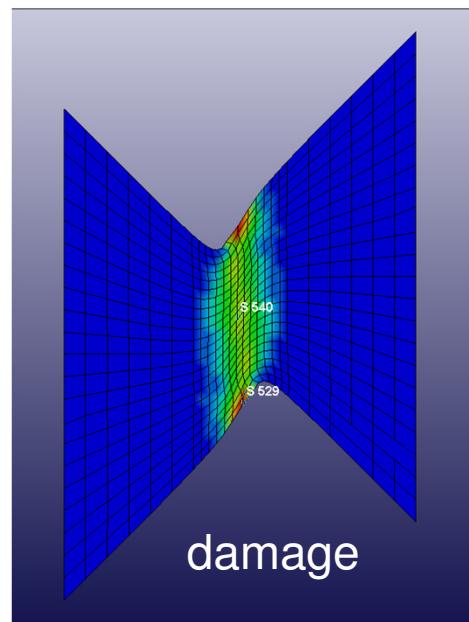
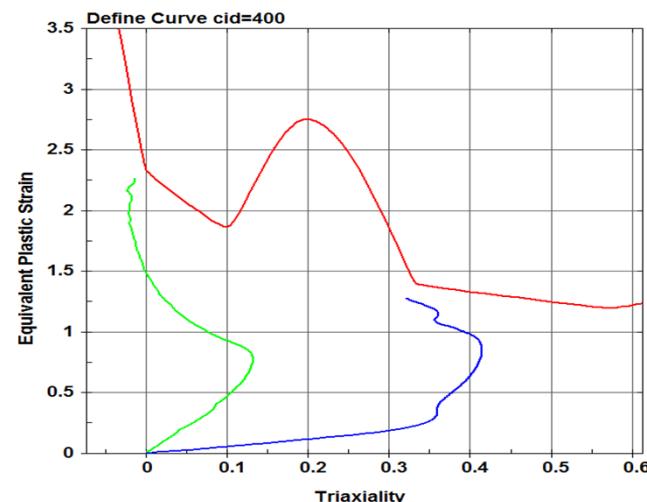
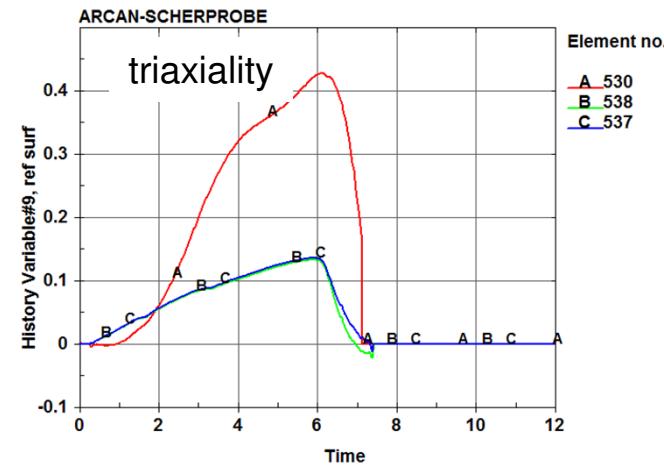
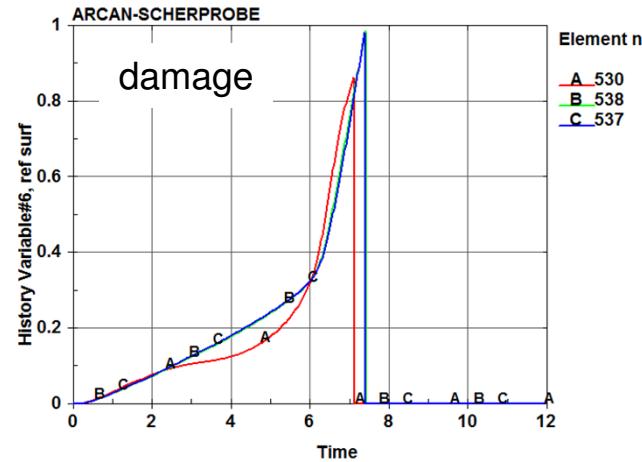
GISSMO

- Failure Strain constant
- Fracture energy constant
- Identification of Damage Parameters is more straight-forward

Example: tension rod

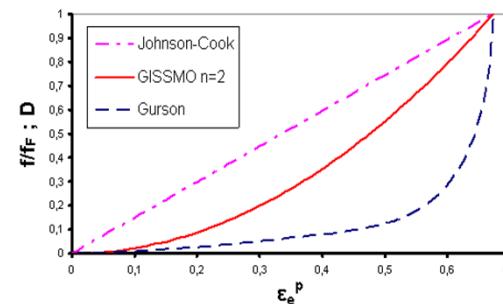
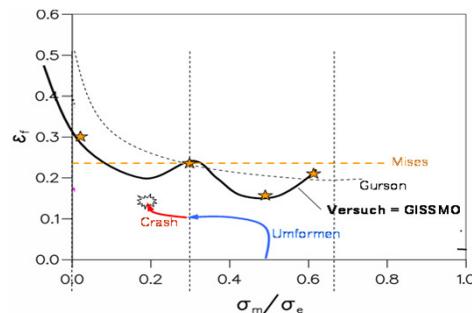


Example: Arcan shear test

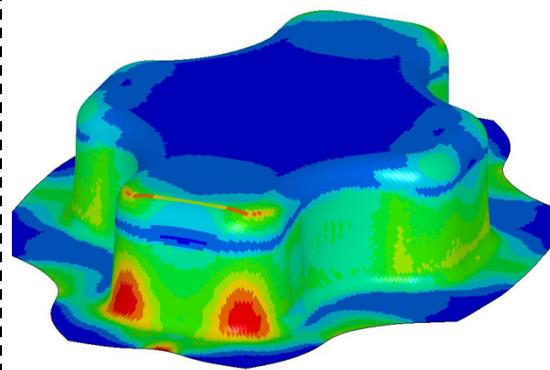


GISSMO

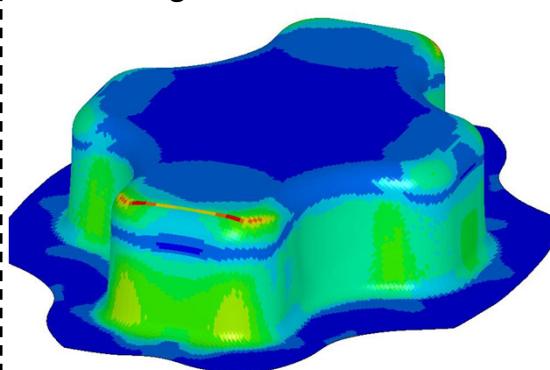
Deep-draw simulation of cross-die using GISSMO



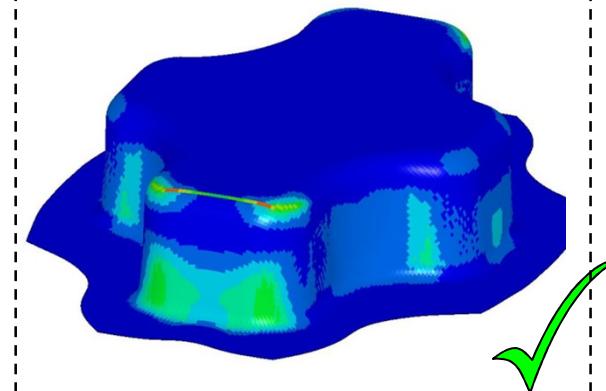
- Constant failure criterion
- Linear damage accumulation
- Failure not predicted correctly



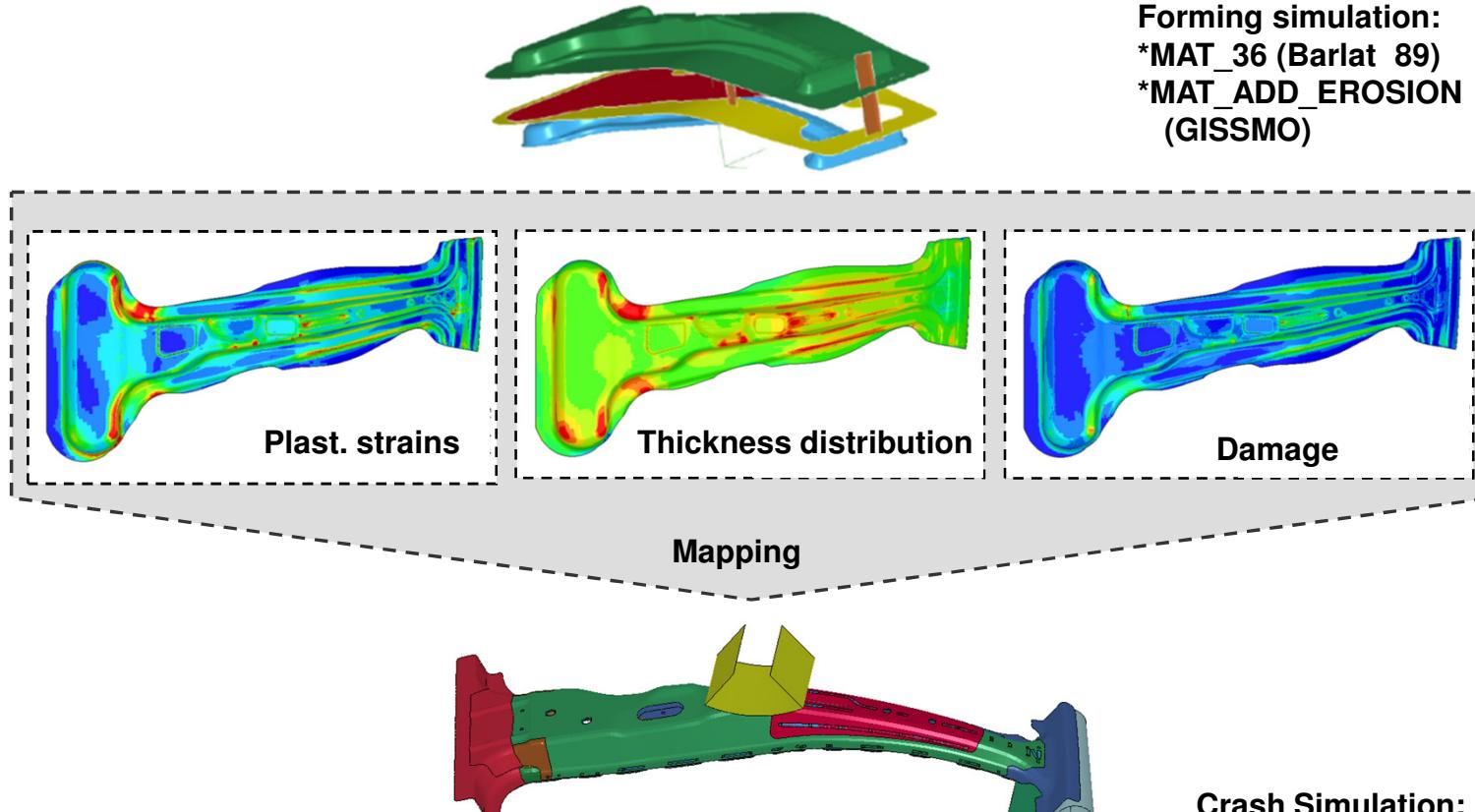
- GISSMO-Criterion
- Linear accumulation of damage
- Possibly overestimated damage



- GISSMO-Criterion
- Nonlinear damage accumulation
- Rupture predicted correctly

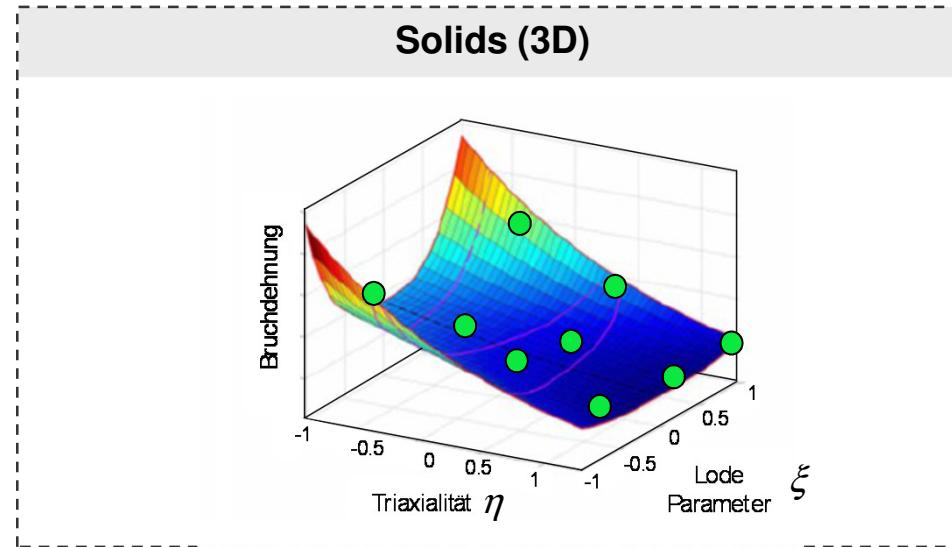
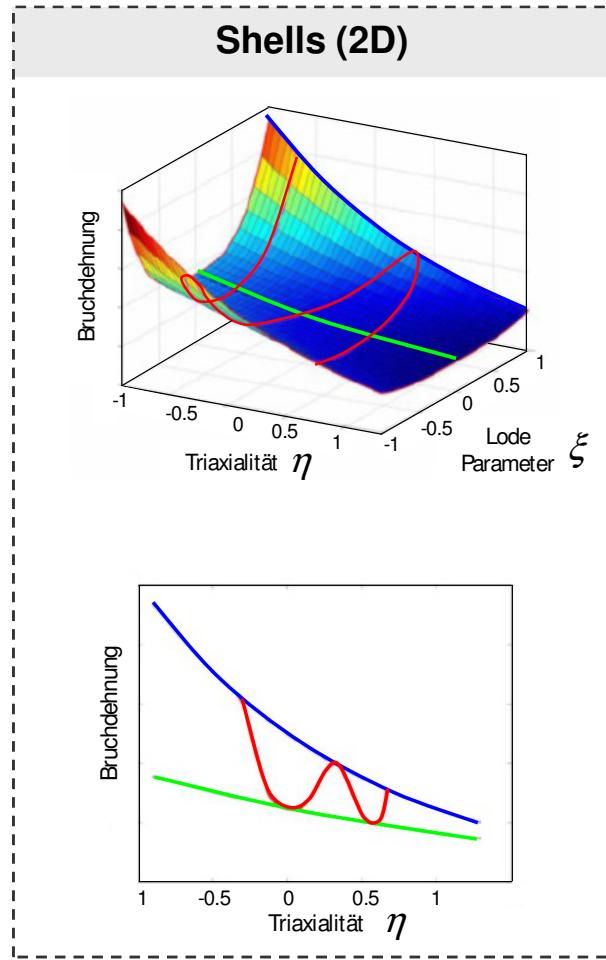


Process chain with GISSMO



GISSMO

Failure criterion extd. for 3D solids

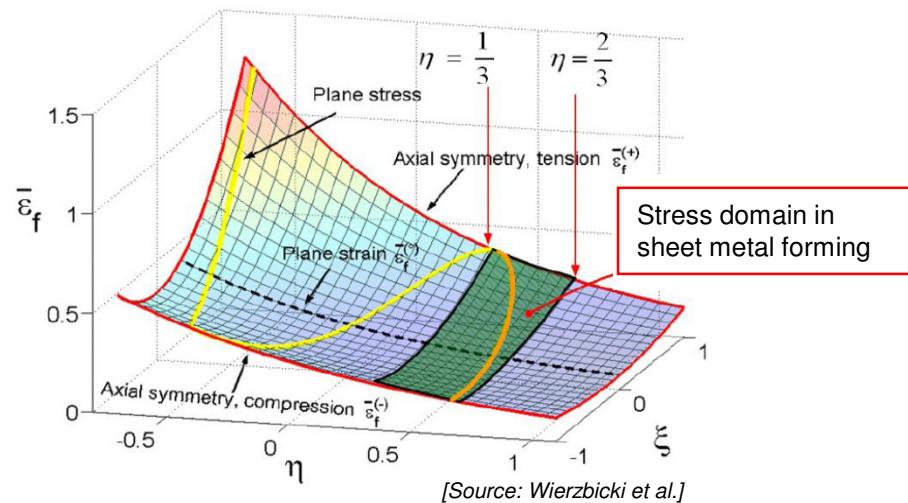


- For shells (2D with the assumption of plane stress) triaxility and Lode angle depend on each other.
→ fracture strain is a function of the triaxiality
- For Solids (3D) both the Lode angle and triaxiality are independent
→ fracture strain is a function of triaxiality and Lode angle

Baseran [2010]

GISSMO

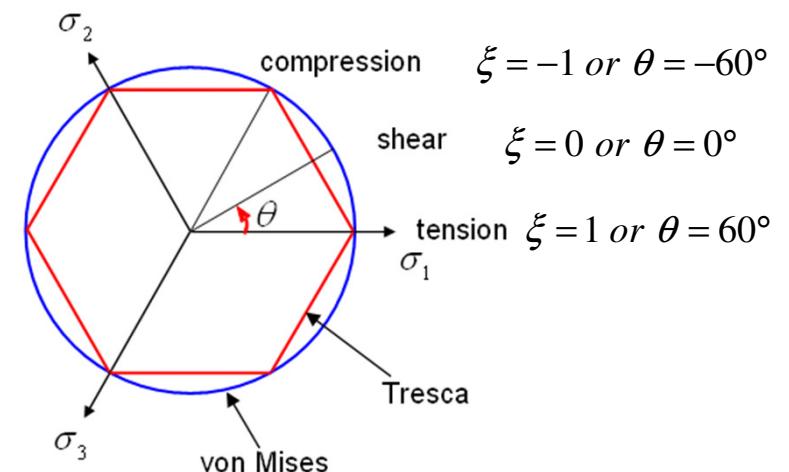
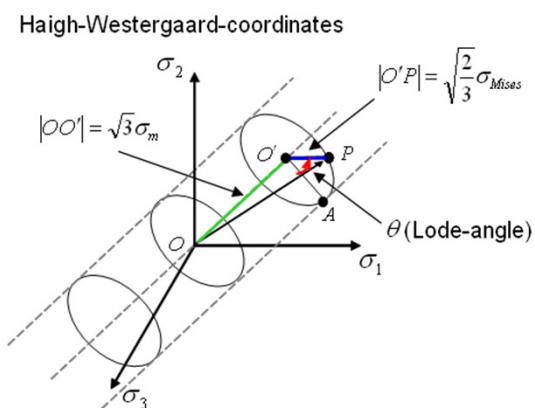
Failure criterion extd. for 3D solids



Parameter definition

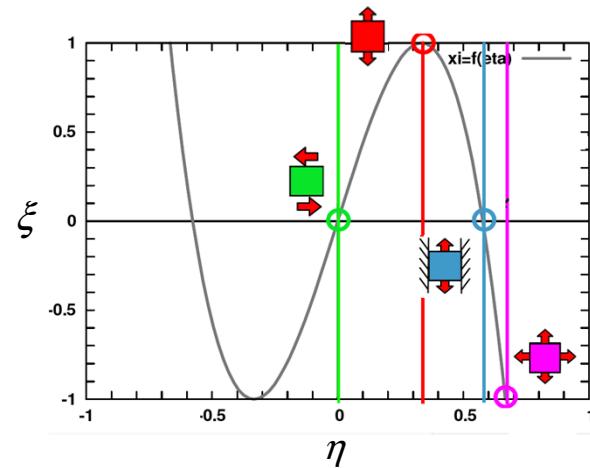
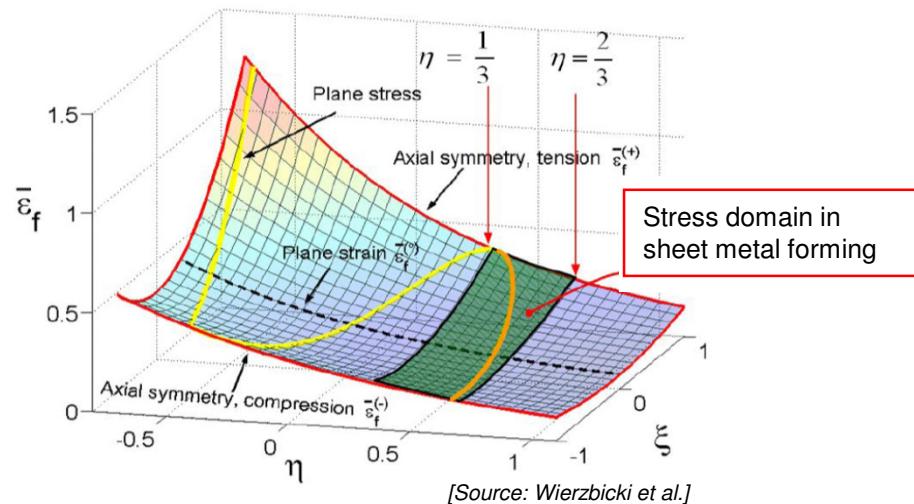
$$\eta = \frac{\sigma_m}{\sigma_{vM}} = \frac{I_1}{3\sigma_{vM}}$$

$$\xi = \frac{27}{2} \frac{J_3}{\sigma_{vM}^3} \quad \text{mit} \quad J_3 = s_1 s_2 s_3$$



GISSMO

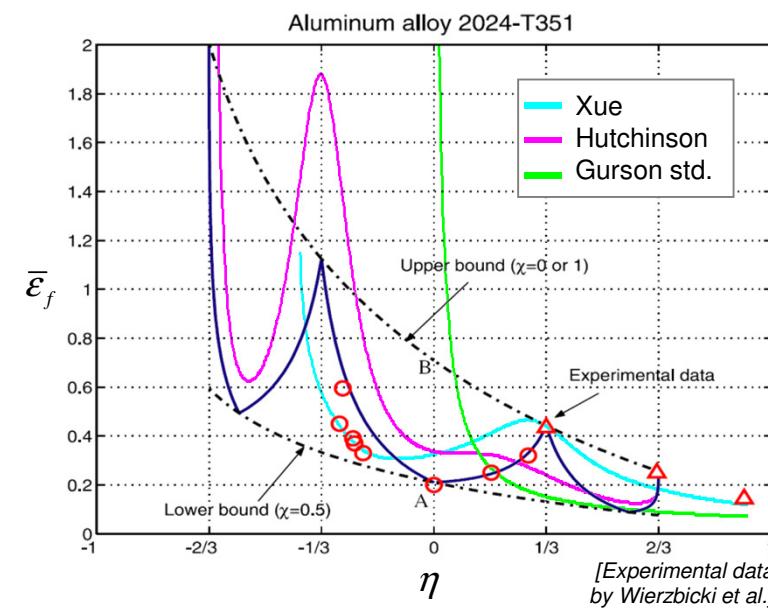
Failure criterion extd. for 3D solids



Parameter definition

$$\eta = \frac{\sigma_m}{\sigma_{vM}} = \frac{I_1}{3\sigma_{vM}}$$

$$\xi = \frac{27}{2} \frac{J_3}{\sigma_{vM}^3} \quad \text{mit} \quad J_3 = s_1 s_2 s_3$$



Summary

- Features of GISSMO:
 - The use of existing material models and respective parameters
 - The constitutive model and damage formulation are treated separately
 - Allows for the calculation of pre-damage for forming and crashworthiness simulations
- Characterization of materials requires a variety of tests
- Automatic method for identification of parameters is to be developed
- Offers features for a comprehensive treatment of damage in forming simulations
- Available in LS-DYNA V9.71 R5
- Verification und validation of concepts are under way



END